

Announcements

Wednesday, January 14, 2009

Intro/Ch1 assignment in MasteringChemistry is due Wed, Jan 21 .

Ch2 assignment will be posted tomorrow and will be due Wed, Jan 28.

See me in my office (E224) if you have not received the MasteringChemistry Course ID in your MetNet email.

No classes Monday, Jan 19. Optional questions/review in Tues and Wed labs next week.

Quiz 1 on names and symbols of common elements is on Monday, Feb 2. See the course webpage for the handout of elements you need to have memorized.

Ch 2: Measurement and Problem Solving

Exact numbers: *totally certain*
by definition or counting

Measurements: *contain some uncertainty*

length:



marks
0.1 cm apart

marks
every
1 cm →

	<u>Team A:</u>	<u>Team B:</u>	<u>Team C:</u>
	5.6 cm	5.68 cm	5.49 cm
	5.5 cm	5.66 cm	5.51 cm
	5.4 cm	5.67 cm	5.50 cm
Averages:	<u>5.5 cm</u>	<u>5.67 cm</u>	<u>5.50 cm</u>

Quality of measurements:

Accuracy: "correctness" - how close to "true" value

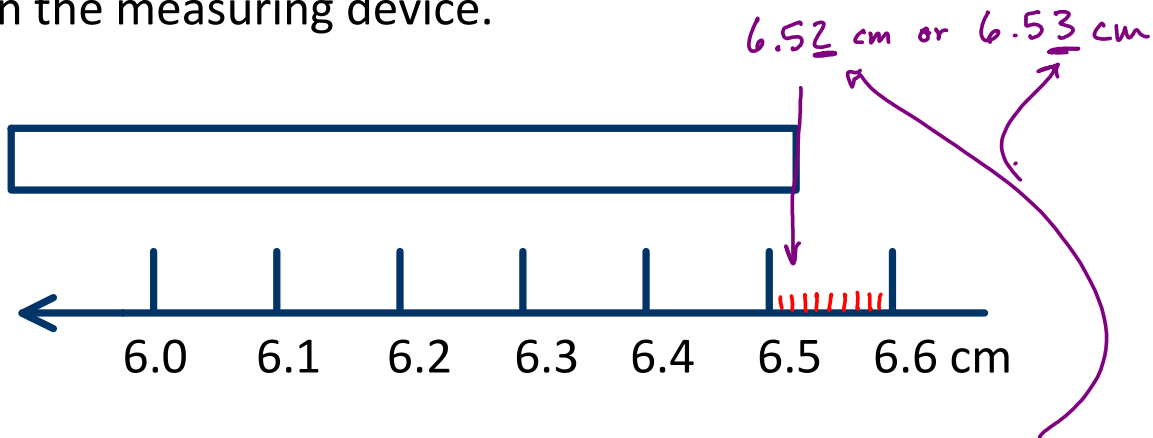
A & C more accurate than B

Precision: "repeatability" - how close a group of values are to each other

B & C more precise than A

Precision in measurements

Precision is usually dependent on how many marks are on the measuring device.



Every metric measurement has exactly one uncertain digit.

Significant figures: used to track uncertainty through calculations

$$10.0 \text{ cm} / 3 = 3.33333333 \dots \text{ cm}$$

too many digits

We don't know this length
that precisely

Significant figures

Which digits in a measurement are significant?

1. All nonzero digits are significant

a. $\overset{\cdot}{2}\overset{\cdot}{3}.\overset{\cdot}{4}\overset{\cdot}{8}$ cm 4 sf

b. $\overset{\cdot}{1}.\overset{\cdot}{2}\overset{\cdot}{2}$ cm 3 sf

2. Leading zeroes (to left of nonzero digits) are never significant

a. $0.00\overset{\cdot}{2}\overset{\cdot}{8}\overset{\cdot}{1}$ cm 3 sf

b. $0.000\overset{\cdot}{2}\overset{\cdot}{8}\overset{\cdot}{1}$ cm 3 sf

3. Trapped zeroes (interior) are always significant

a. $0.00\overset{\cdot}{2}\overset{\cdot}{0}\overset{\cdot}{8}\overset{\cdot}{1}$ cm 4 sf

b. $0.0\overset{\cdot}{3}\overset{\cdot}{0}\overset{\cdot}{0}\overset{\cdot}{2}\overset{\cdot}{0}\overset{\cdot}{0}\overset{\cdot}{5}$ cm 7 sf

4. Trailing zeroes (to right of nonzero digits) are significant IF there's a decimal point anywhere in the measurement

a. $0.00\overset{\cdot}{5}\overset{\cdot}{0}$ cm 2 sf

b. $48000.\overset{\cdot}{0}$ cm 6 sf

c. $48000.$ cm 5 sf

d. $\overset{\cdot}{4}\overset{\cdot}{8}000$ cm at least 2 (unclear exactly how many s.f.)

Rounding

Rounding reduces the number of sig figs in a measurement.

$$\overset{\cdot}{4}\overset{\cdot}{2}\overset{\cdot}{1}.\overset{\cdot}{3}\overset{\cdot}{8} \text{ cm} \xrightarrow[4 \text{ s.f.}]{\text{round to}} \overset{\cdot}{4}\overset{\cdot}{2}\overset{\cdot}{1}.\overset{\cdot}{4} \text{ cm}$$

look at 1 digit to right of last sig fig:

0-4 round down

5-9 round up

$$\overset{\cdot}{9}\overset{\cdot}{2}\overset{\cdot}{2}.\overset{\cdot}{2}\overset{\cdot}{4}\overset{\cdot}{8} \text{ cm} \xrightarrow[4 \text{ s.f.}]{\text{round to}} \overset{\cdot}{9}\overset{\cdot}{2}\overset{\cdot}{2}.\overset{\cdot}{2} \text{ cm}$$

$$\overset{\cdot}{5}\overset{\cdot}{4}\overset{\cdot}{9}\overset{\cdot}{7} \text{ cm} \xrightarrow[2 \text{ s.f.}]{\text{round to}} \overset{\cdot}{5}\overset{\cdot}{5}\overset{\cdot}{0}\overset{\cdot}{0} \text{ cm}$$

$$\overset{\cdot}{5}\overset{\cdot}{4}\overset{\cdot}{9}\overset{\cdot}{7} \text{ cm} \xrightarrow[3 \text{ s.f.}]{\text{round to}} \overset{\cdot}{5}\overset{\cdot}{5}\overset{\cdot}{0}\overset{\cdot}{0} \text{ cm}$$

only clearly shows 2 sf!

- cannot clearly show 3 sf in decimal notation

~~5500.~~ cm 4 sf

- Must use scientific notation

Scientific notation

- Scientific notation:
- used to easily report very small or very large numbers
 - always clearly shows any desired number of significant figures (never ambiguous)

$$\underbrace{\#}_{\text{between 1-10}} \times \underbrace{10^{\square}}_{\text{power of 10}}$$

$10^0 = 1$
 $10^1 = 10$
 $10^2 = 10 \times 10 = 100$
 $10^3 = 1000$

$\overset{\cdot}{2}.\overset{\cdot}{0}\overset{\cdot}{0} \times 10^2 = \overset{\cdot}{2}\overset{\cdot}{0}\overset{\cdot}{0}$ decimal pt required
Scientific not. decimal to preserve # sig figs
not.

$\overset{\cdot}{2}.\overset{\cdot}{0}\overset{\cdot}{0}\overset{\cdot}{0} \times 10^2 = \overset{\cdot}{2}\overset{\cdot}{0}\overset{\cdot}{0}.\overset{\cdot}{0}$

$\overset{\cdot}{5}\overset{\cdot}{5}\overset{\cdot}{0}\overset{\cdot}{0} = \overset{\cdot}{5}.\overset{\cdot}{5}\overset{\cdot}{0} \times 10^3$
say we need 3 s.f. pos power of 10 makes 5.50 larger

5500(.)

Scientific notation

$$\overset{\cdot}{9}.\overset{\cdot}{7}\overset{\cdot}{8} \times 10^3 \xrightarrow{\text{decimal}} 9780$$

9.78
no decimal point

$$\overset{\cdot}{1}.\overset{\cdot}{3}\overset{\cdot}{4} \times 10^{-2} \xrightarrow{\text{decimal}} 0.0\overset{\cdot}{1}\overset{\cdot}{3}\overset{\cdot}{4}$$

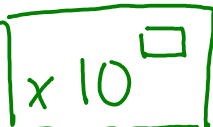
1.34

makes
1.34 smaller

$$0.000\overset{\cdot}{0}\overset{\cdot}{1}\overset{\cdot}{3}\overset{\cdot}{8} \xrightarrow{\text{sci}} 1.38 \times 10^{-5}$$

Entering scientific notation into a calculator

To use scientific notation on your calculator, you

must use the \boxed{E} \boxed{EE} or \boxed{EXP} key. 

To enter 1.38×10^5 :

1.38 \boxed{E} 5

To enter 2.551×10^{-3} :

text calculator: 2.551 \boxed{E} $\boxed{(-)}$ 3

numeric calculator: 2.551 \boxed{E} 3 $\boxed{+/-}$

Mastering Chemistry $2.551 * 10^{\boxed{-3}}$
or $2.551 * 10^{-3}$

Sig figs in calculations

1. Multiplying or dividing:

- find the value with the fewest sig figs
- round answer to that number of sig figs

You travel 20.0 miles in 3.0 hours. What is your average speed in miles per hour?

$$\begin{array}{r} \overset{\cdot}{2}\overset{\cdot}{0}\overset{\cdot}{0} \text{ mi} \\ \hline \overset{\cdot}{3}\overset{\cdot}{0} \text{ hr} \end{array} = 6.\overset{\cdot}{6}\overset{\cdot}{6}\overset{\cdot}{6}\overset{\cdot}{6}\overset{\cdot}{6}\overset{\cdot}{6}\overset{\cdot}{7} \text{ mi/hr}$$

★ 2sf

↓ round to 2sf

$6.\overset{\cdot}{7} \text{ mi/hr}$

$$100.00 \text{ cm} / 5 \text{ pieces} =$$

$$4.873 \times 10^2 \text{ cm} \times 9.2 \times 10^{-4} \text{ cm} =$$